

Date ___/___/___

(i) loan Amount = 20000

Installment = 427.90

No. of years = 5

$\therefore i = ?$

$$20000 = 427.90 \times \frac{1 - (1+i)^{-12}}{i}$$

$$\frac{20000}{427.90} = \frac{1 - (1+i)^{-12}}{i}$$

$$\frac{(1+i)^{12} - 1}{12} = 0.05834\%$$

$$\therefore i = 10.84\%$$

Flat Rate = $\frac{\text{Total Repaid} - \text{Original Amount}}{\text{Term of loan} \times \text{original amount}}$

$$= \frac{(427.90)(12) - 20000}{5 \times 20000}$$

$$= 0.05675$$

$$= 5.675\%$$

$$\text{APR} = 5.675 \times 2 = 11.35\%$$

(ii) NPV after year

$$= 427.90 \times \frac{(1+i)^4 - 1}{i} @ 10.84\%$$

$$= 16775.83$$

Term of loan

$$16775.83 = 274.49 \times \frac{(1+i)^4 - 1}{i}$$

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(Saathi)

$$= 0.8588347$$

$$\therefore N = 7.2 \text{ years}$$

$$\frac{16775.83}{274.49} = \frac{(1 - 0.8588347)^N}{0.008588347}$$

Interest

$$(427.9 \times 12) + (294.49 \times 12 \times 7.2) + \text{Interest} = 9015.43$$

$$\text{Interest in loan I} = 5764$$

$$\text{Increased by } 9015.43 - 5764 = 3251.43$$

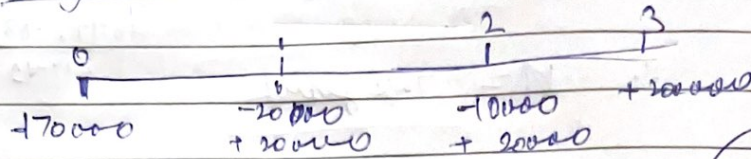
Q2) i) a) Discounted Payback Period — It refers to the time at which the net present value turns from positive to negative the initial outlay has been recovered with the help of interest rate.

b) Payback Period — It refers to the time at which the income value increases from outlays without considering the effect of interest.

ii) NPV is the difference b/w the PV of all the outlays and PV of all future incomes hence showing us the feasibility of the project. whereas DPP and PP just shows us the time it will take to recover the investment.

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(ii) Project A



$$NPV = (-170 + 10v^2 + 200v^3) / 10000$$

$$= 68220.85$$

$i = 6\%$

IRR

$$PV = 0$$

$$0 = 1000(-170 + 10v^2 + 200v^3) = 0$$

$$i = 7.428\%$$

Project B

$$NPV = -200000 + 140000 \frac{1}{6} @ 6\% + 200000v^6$$

$$= 1000(-200 + 14(4.9173) + 200(1.06)^6)$$

$$= 8834.65$$

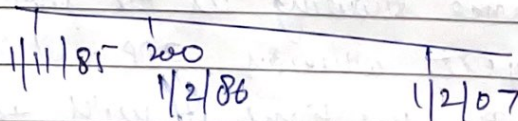
IRR

$$PV = 0$$

$$0 = (-200 + 14 \frac{1}{6} + 200v^6) / 1000$$

$$i = 7\%$$

(3)



Amount

$$= 200 \times v^{0.25} \times \frac{1}{21} = 2161.36$$

320/4	320/4	320/4	320/4	112/80
11/1/85	11/1/86	11/4/86	11/7/86	11/10/86

Annuity 2

$$= 320 \times (1+i)^{1/12} a(4)$$

16.25

$$= 2957.87$$

11/1/85	11/8/88	11/8/89
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Annuity 3

$$= 180 a(12) @ 8\%$$

18.75

$$= 1700.67$$

Sum of all the 3 annuities

$$= 6899.9$$

New Annuity

$$6899.9 = \frac{x}{(1+i)^{1/4}} a(12)$$

21.57

$$x = 656.56$$

$$\begin{aligned} \text{d4) } PV &= 1 + 2v + 3v^2 + 4v^3 + \dots + nv^{n-1} \\ &= (1+i) \left(\frac{\ddot{a}_{\overline{n}|i} - nv^n}{i} \right) \end{aligned}$$

$$\Rightarrow \frac{\ddot{a}_{\overline{n}|i} - nv^n}{i/(1+i)}$$

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$$I\ddot{a}_{\overline{n}|i} = \frac{\ddot{a}_{\overline{n}|i} - n v^n}{d}$$

Q5) TWRR of Property Fund

$$(1+i) = \frac{16.4}{12.4}$$

$$i = 32.258\%$$

TWRR of Equity Fund

$$(1+i) = \frac{15.5}{12.1}$$

$$i = 28.099\%$$

Bought 10 units each quarter

$$124(1+i) + 131(1+i)^{3/4} + 148(1+i)^{1/2} + 158(1+i)^{1/4} = 4 \times 164 = 656$$

$$i = 29.32\%$$

h) Investor bought Rs 100 worth units

$$\text{also } 3 \times \frac{14}{9}$$

$$\therefore i = 24.79\%$$

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Trustee bought 10 units of equity fund

$$21(1+i) + 92(1+i)^2 + 103(1+i)^3 + 131(1+i)^4 = 4 \times 185 = 740$$

$$\therefore i = 67.31\%$$

Trustee put Rs 100 per quarter

$$100 \times \frac{1}{i} = 100 \times 18.5 \left(\frac{1}{12.1} + \frac{1}{9.2} + \frac{1}{10.8} + \frac{1}{13.1} \right)$$

$$i = 70.88\%$$

x = installment amount

i) $160000 = x \times a_{\overline{40}|8\%}$

$$x = 23844.65$$

ii) loan outstanding after 4th payment

$$= 23844.65 \times a_{\overline{36}|8\%}$$

$$= 110231.43$$

Annual Payment @ 10% is

y = Installment amount

$$110231.43 = y \times a_{\overline{40}|10\%}$$

$$y = 25309.722$$

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loan outstanding after 7th payment

$$25309.722 \times 4 \text{ @ } 10\%$$

$$= 162942.74$$

Interest amount @ 9% = 2

$$62942.74 = 2 \text{ @ } 9\%$$

$$2 = 24865.78$$

Total Repayment amount

$$(4 \times 2344.05) + (3 \times 25309.72) + (3 \times 24865.78)$$

$$= 245905.91$$

$$245905.91 = 160000(1+i)^6$$

$$5.36911\%$$

Q7) i) Government securities are believed to be more secured as & regardless of the market conditions they provide fixed returns. These are most secured unlike the paper which was proved in 2008.

a) loan by tender ~~could be~~ is a bidding process in which large institutional investors

buys newly issued govt. securities and investors provides competition to each other by ~~bidding~~ providing the ^{highest} ~~minimum~~ amount to tender

b) As investor

He → can choose the highest amount to sell the securities

Dis Securities might be concentrated to some investors only

Investor

Ad Most secured type of security

Dis might not be able to buy the security

c) ~~Fixed Deposit~~ As interest rates changes frequently

Stocks → The fluctuate very much and react to every small news

18)

0	1	2	3
-2.7%	-20%	-20%	-20% +10%

$$P(1) = 0.25$$

$$P(2) = 0.2$$

$$P(3) = 0.1$$

50000 / barrel

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i) NPV,

Present value of outflows = PV of inflows

$$= 2704 - 2024 \frac{1}{37} @ i + 0.1 \frac{1}{10} (0.25 \frac{1}{10} + 0.2 \frac{1}{10} + 0.1 \frac{1}{10})$$

$$i = 9.37\%$$

ii) $0.1 \frac{1}{10} + 0.85 \frac{1}{10} \frac{1}{10} - 27 - 0.2 \frac{1}{37} @ 10\%$

$$= 4.19 - 3.19 = 1.0089$$

NPV is +ve $\therefore$ investment can be made in project

d9) i) ~~TWRR~~ TWRR of the fund is

$$(1+i)^3 = \frac{33}{30.5} \times \frac{38.65}{39} \times \frac{45.6}{41.8} \times \frac{47}{45.6 - 2.5}$$

$$i = 7.097\%$$

MWRR

$$47 = 30.5 (1+i)^3 + 6(1+i)^{2.25} + 4.5(1+i)^{1.5} - 2.5(1+i)^{0.5}$$

$$i = 7.206\%$$

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~~LODR~~ TWR is concerned with the time of income and take outflow and fund into the consideration. It is not affected by the quantity of money but MWR is affected by the quantity of money

$$10) \text{ Loan amount} = 180000 \left(a_{\overline{10}|12\%} \right) + 200000 \left(\frac{1}{1.12^{10}} \right)$$

$$= 2040582$$

$$\text{Total cost} = 80 \times 4671.1 = 2040582$$

$$= \frac{80 \times 4671.1}{100} = 2040582$$

$$\text{Total cost} = 2550727.5$$

Loan after $t=8$

$$340000 \times a_{\overline{2}|12\%} + 200000 \left(\frac{1}{1.12^2} \right)$$

$$= 1511692 + 324160$$

$$= 1875852$$

d11) TWR $n = \underline{\hspace{2cm}}$

$$\frac{(1+i)^2}{(1+i)^2} = \frac{500 \times 550}{460 \times 540} \times \frac{n}{540}$$

$$(1.2)^2 = 1.44$$

$$\therefore 2 = 655.78$$

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ii) NPV

$$460(1+i)^2 + 40(1+i)^{1.75} - 10(1+i)$$

$$= 655.78$$

$$\therefore i = 19.85\%$$

iii) Effective interest rate of 2015

$$460(1+i) + 40(1+i)^{1.75} = 640$$

$$\therefore i = 20.44\%$$

Effective interest of 2015

$$460(1+i) + 40(1+i)^{1.75} = 615.78$$

$$i = 19.23\%$$

LWR

$$(1+i)^2 = 1.1923 \times 1.2044$$

$$= 1.4337$$

Q12) a) $-800(1+i)^t - 10(1+i)^{t-1} + 1005$

$$t = 17.77$$

b) Accumulated profit after 22 years

c. 1005 @ 6% $= 486$

$$480000$$

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$$1005_{17} = 102.971$$

$$-800(1+i)^t - 50(1+i)^{t-1} + 102.97 S_{\overline{t}|i} @ 7\% > 0$$

$$t = 18 \text{ years}$$

$$-800(1+i)^{18} - 50(1+i)^{17} + 102.97 S_{\overline{18}|i}$$

$$= 9.77$$

$$\text{Hence } A_{12} = \textcircled{462790} \quad 462790$$

Q13) i) x_{12} = installment amount @ 7%

$$x \frac{a(12)}{251} = 9880$$

$$x = 821.76$$

$$x_{12} = \textcircled{68.48} \rightarrow \text{Monthly Installment}$$

ii) Loan outstanding after 10/03/29

$$821.76 \frac{a(12)}{11.33} = 648600$$

iii) Loan outstanding on 10th sept 2016

$$821.76 \frac{a(12)}{13.83} = 26.88$$

$$I_n = 301.16$$

Capital payment on 12th June = 576.20

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$$iii) 1005_{17} = 102.971$$

$$-800(1+i)^t - 50(1+i)^{t-1} + 102.97 S_{\overline{t}|i} @ 7\% > 0$$

$$t = 18 \text{ years}$$

$$-800(1+i)^{18} - 50(1+i)^{17} + 102.97 S_{\overline{18}|i}$$

$$= 9.77$$

$$\text{Hence } A_{22} = \text{462790}$$

$$Q13) i) x_{12} = \text{installment amount @ } 7\%$$

$$x \frac{a(12)}{251} = 9880$$

$$x = 821.76$$

$$x_{12} = 68.48 \rightarrow \text{Monthly Installment}$$

$$ii) \text{ Loan outstanding after } 10/03/29$$

$$821.76 \frac{a(12)}{11.33} = 648600$$

$$iii) \text{ Loan outstanding on } 10^{\text{th}} \text{ sept } 2016$$

$$827.76 \frac{a(12)}{13.83} = 26.88$$

$$I_n = 301.96$$

$$\text{Capital payment on } 12^{\text{th}} \text{ Nov} = 576.20$$